## Combinatorrent Writing Haskell code for fun and profit

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## History

Combinatorrent - A bittorrent client in Haskell

- GHC (Glasgow Haskell Compiler) implementation
- Initial checkin: 16th Nov 2009
- First working version less than 2.5 months after
- Implements an actor-like model on top of STM (Software Transactional Memory)

4.1 KSLOCs

This is joint work; try to make it easy to contribute: *Combinatorrent:* Alex Mason, Andrea Vezzozi, "Astro", Ben

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Edwards, John Gunderman, Roman Cheplyaka, Thomas Christensen, Nikolay Mikov

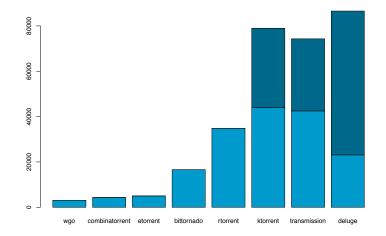
# Why?

Several reasons:

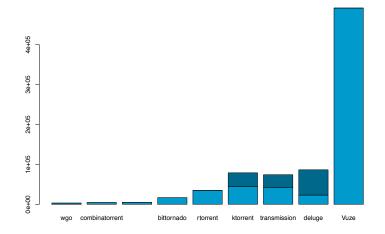
- "To fully understand a programming language, you must implement something non-trivial with it." – Jespers Law
  - A priori
  - A posteriori
- Gauge the effectiveness of modern functional programming languages for real-world problems.

BitTorrent is a good "Problem Set"

# **KSLOCs**



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### One slide BitTorrent

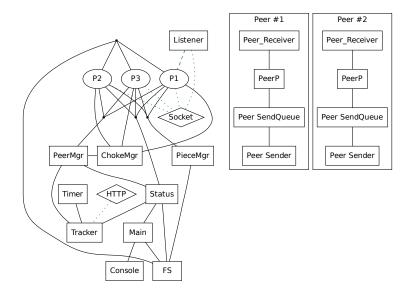
- First is *identity*. A .torrent file uniquely identifies an array of bytes and provides *integrity*
- Second is *discovery* Trackers and DHT discovers other Peers (Seeders and Leechers)

 Third is exchange - Data is transferred according to a protocol. Incentive is based on optimistic relationsships.

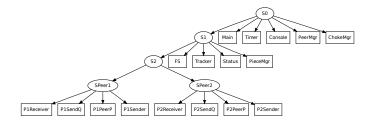
- Concurrency and Parallelism are *Different* things
- Haskell has many tools for concurrency and parallelism: Eval and Par monads, Repa, Accelerate, STM, MVars, Cloud Haskell - way better coverage than Erlang.
- However, Combinatorrent adopts a conservative solution: Channel-based message passing over STM.
- Channels are necessary because they are easier to Type.

• We can select on multiple channels by STM.

# Communication (Link)



# Process Hierarchy (Location)



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## **Bigraphs**

#### $\mathsf{Bigraph} = \mathsf{Hypergraph} + \mathsf{Tree}$

Do not confuse with bipartite graphs.

Hypergraph is the *link*-graph Tree is the *location*-graph

#### Some cool things in Haskell

- Haskell is king of abstraction (sans Proof assistants)
- Type system is expressive almost to the point of program proof
- Strong Type Zoo
- Excellent community vibrant; practitioners and academics.

QuickCheck - The haskell version!

- Haskell, using the GHC implementation is compiled to machine code
- SOTA compiler, fast programs
- Essentially no need for BIFs or NIFs in implementations

- Abstraction does not have a price tag
- Efficient combinators as a result

- Statically typed language inferred with type classes
- Very little type-level boilerplate to make things work out

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A lot of implicit tricks at the type level

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- Statically typed language inferred with type classes
- Very little type-level boilerplate to make things work out
- A lot of implicit tricks at the type level
- Take the Erlang Regex module as an example compared to the Haskell equivalent
- STM is guaranteed transactional by use of a monad in the type system
- When setting the parent in the supervisor tree, it is write-once

. . .

```
decodeMsg :: Parser Message
decodeMsg =
    do m <- getWord8
        case m of
        ...
        7 -> Piece <$> gw32 <*> gw32 <*> getRemaining
        where gw32 = fromIntegral <$> getWord32be
```

- Erlang requires special syntax and semantics
- Haskell can exploit the fact that we have an *applicative* functor - No need for special handling
- Type classes lets us express higher-level structure of our program as Functors, Applicatives, Monads, Monoids

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- Re-use of operators at a higher level
- No mention of a binary!

A monoid is a set M and an operation  $\oplus$  with properties:

- $\oplus$  is associative:  $x \oplus (y \oplus z) = (x \oplus y) \oplus z$
- *M* contains a neutral element  $e \in M$  such that  $e \oplus x = x \oplus e = x$  for all  $x \in M$ .

Examples: Strings and ++, Integers and +, etc...

#### Example: BitTorrent extensions

- ▶ We handshake a list of extension numbers: [1, 8, 17, ...]
- We would like to install the right extensions
- ► So we map to a list of extension function vectors: [F<sub>1</sub>, F<sub>8</sub>, F<sub>17</sub>,...]
- The values  $F_x$  is a record of function hooks.
- At certain places of the standard flow, we call the appropriate hook function

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- ▶ Pairwise composition of hook functions:  $F_1 \odot F_8 \odot F_{17} \odot \ldots$
- There is a function vector F<sub>id</sub> which is the identity
- $(\mathcal{F}, \odot)$  forms a monoid, so:
- mconcat (mapExt ExtNums) configures the extensions in Combinatorrent

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Lazy evaluation - space leaks



#### Lazy evaluation - space leaks

Heap Profile – Use strictness annotations,

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#### Lazy evaluation - space leaks

Heap Profile – Use strictness annotations,

- Peak Mem: 41
   Productivity: 0.469
   CPU/Mb: 0.65938

Lazy evaluation - space leaks

- Heap Profile Use strictness annotations,
- Peak Mem: "Monorman "
- Productivity:
- CPU/Mb:
   CPU/Mb:
- Academic compilers, stability suffer
- Some libraries are *extremely* complex type-wise

#### Performance

#### After 2 months of tuning on and off I went back to Erlang

#### Performance

- After 2 months of tuning on and off I went back to Erlang
- Unoptimized Erlang version as fast as Combinatorrent in practice

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#### Lessons learned

Take laziness seriously from the start

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Be careful when choosing libraries

#### Repositories

We use github for all code:

http://www.github.com/jlouis

Look for etorrent and combinatorrent